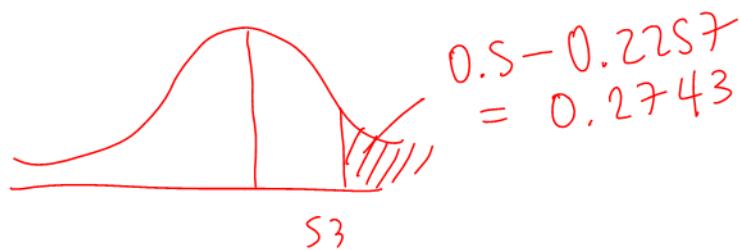
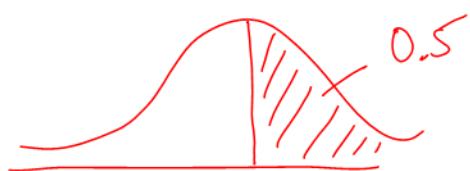
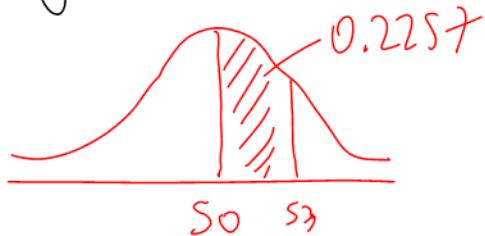


9.2-9.4 Cont'd

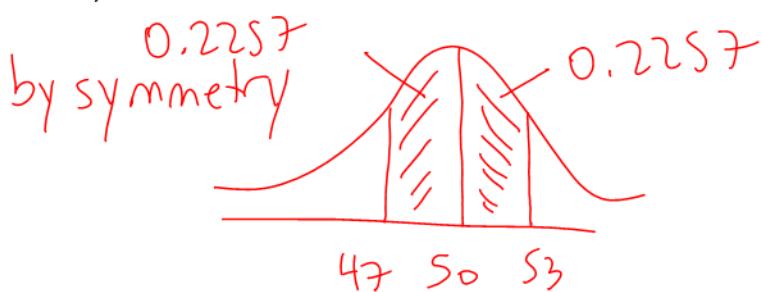
Ex: (Conceptual)

A data set is normally distributed with a mean of S_0 and a standard deviation of S . The probability that a measurement is between S_0 and S_3 is 0.2257 . Find the probability that a measurement is:

- a) greater than S_3



- b) between 47 and S_3

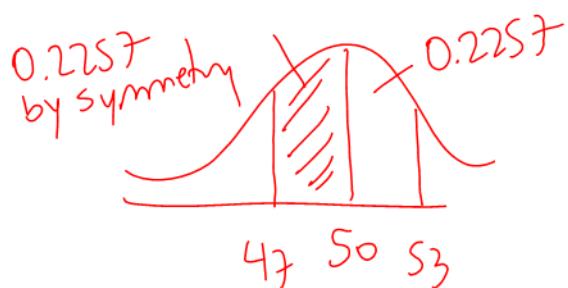


0.4514

c) less than 47

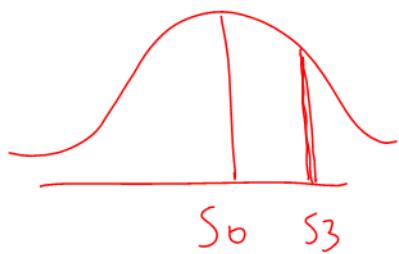


d) between 47 and 50



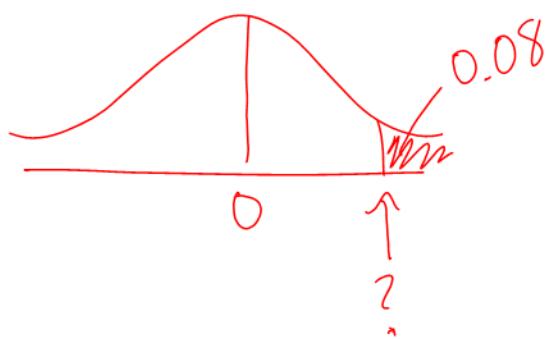
e) exactly 53

0



Ex: A data set is normally distributed with a mean of 0 and a standard deviation of 1.

a) Find the value that separates the highest 8% of the measurements.



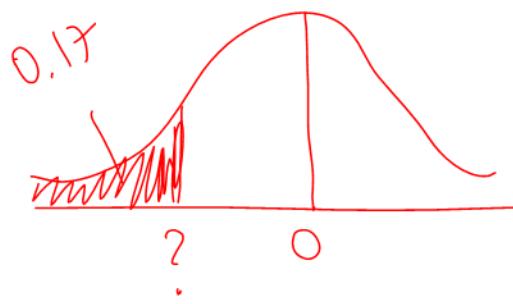
Select "Value from an area"
Input area, mean, st. dev.
Select above / below / between
Hit recalculate

See Screenshot on last page.



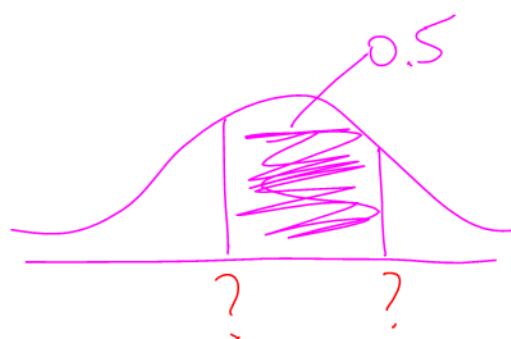
1.405

b) Find the value that separates the lowest 17% of the measurements.



-0.954

c) Find the values that separates the middle 50 % of the measurements.

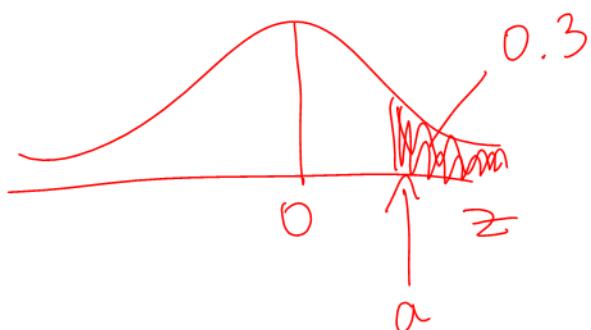


$$-0.674 \rightarrow 0.674$$

Ex: A data set is normally distributed with a mean of 0 and a standard deviation of 1.

a) Find a so that $P(z > a) = 0.3$

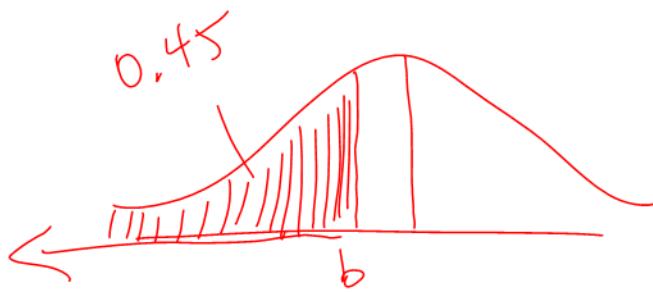
z = Variable
 a = Constant (#)



$$a = 0.524$$

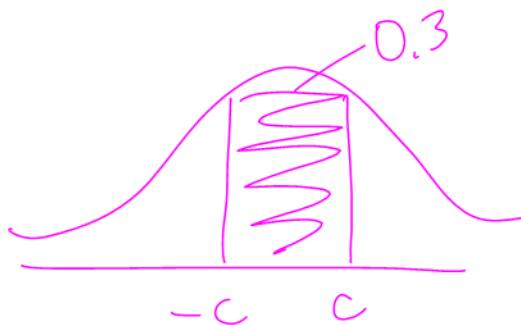
b) Find b so that $P(z < b) = 0.45$

$b = \text{constant} (\#)$



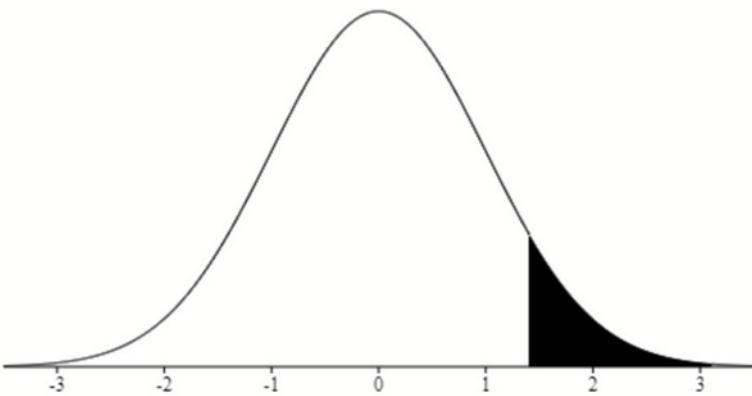
$$b = -0.126$$

c) Find c so that $P(-c < z < c) = 0.3$



$$-0.385 \rightarrow 0.385$$

$$c = 0.385$$



- Area from a value (Use to compute p from Z)
 Value from an area (Use to compute Z for confidence intervals)

Specify Parameters:

Area

Mean

SD

Results:

- Above
 Below
 Between
 Outside